

# Timeless Energy Principle and Infinite Regress: Toward an Emergent Framework for Space-Time Structure

Kunal Kishor Verma<sup>1\*</sup>; Ian Beardsley<sup>2</sup>

<sup>1</sup>Independent Researcher, Bihar, India

<sup>2</sup>Independent Researcher, USA

Corresponding Author: Kunal Kishor Verma<sup>1\*</sup>

Publication Date: 2026/05/23

**Abstract:** We propose that Nature may be interpreted as an infinite regress of models, in which every mathematical description generates a higher-order transformation that avoids final closure, consistent with self-referential structures studied in mathematical logic and systems theory. This recursive process defines the continual emergence of structure through successive effective descriptions of physical reality Building upon the Timeless Energy Principle (TEP), which interprets the universe as a self-transforming energetic continuum with emergent temporal ordering; we reformulate “existence as an emergent consequence of recursive energetic organization.” For any finite model  $M \in \mathcal{R}$ , the transformation operator satisfies  $T(M) \neq M$ , and the sequence  $M, T(M), T^2(M)$ , approaches no fixed point, representing an open recursive hierarchy of physical descriptions. Reality therefore persists as an open recursive energetic structure embedded within a timeless substrate rather than as a closed ontological system. The fundamental governing relation is given by the  $\Xi$ -equation:  $\Xi = E / (t \cdot S) = hc / (\lambda \cdot S) = \text{constant}$  Where  $\Xi$  denotes the invariant timeless energy density of the universal energetic field “We present three independent mathematical formulations supporting the invariance of  $\Xi$  under space-time scaling transformations.” This framework addresses the foundational question of why something exists rather than nothing by interpreting existence as an emergent consequence of recursive energetic organization and self-referential physical structure.

**Keywords:** Timeless Energy Principle, Infinite Regress, Ontological Emergence, Energy-Space-Time Invariance, Self-Referential Systems.

**How to Cite:** Kunal Kishor Verma; Ian Beardsley (2026) Timeless Energy Principle and Infinite Regress: Toward an Emergent Framework for Space-Time Structure. *International Journal of Innovative Science and Research Technology*, 11(5), 1152-1159. <https://doi.org/10.38124/ijisrt/26may720>

## I. INTRODUCTION

The question of existence remains a profound problem in philosophy and cosmology.

All physical models—including Newtonian mechanics, relativity, and quantum theory—operate within formal logical frameworks that implicitly assume existence without fully explaining it [1,2].

“Classical thermodynamics posits energy conservation without addressing the origin of energy itself [2]; general relativity describes space-time curvature while assuming the prior existence of space-time [11]; and quantum field theory treats vacuum states as fundamental without explaining why such states exist [3,4].

We propose that interpreting reality as an infinite regress of models may approach this paradox. This recursive structure is interpreted not as a limitation of cognition, but as an intrinsic property of physical and conceptual organization.

Nature may therefore be regarded as an open-ended self-referential system in which closure is continually avoided through successive structural transformations.

“The Timeless Energy Principle (TEP) defines a pre-geometric energetic substrate through which observable space-time structures may emerge dynamically [5,6,11].”

Recursive self-reference may therefore be interpreted as a generative structural mechanism rather than merely a logical paradox.

Existence may be interpreted as a continuous process of energetic self-organization and recursive structural emergence [5,6].

➤ *The Timeless Energy Principle*

The foundation of TEP arises from the interpretation that energy constitutes a primordial energetic substrate from which observable physical structures emerge dynamically [5,6].

All physical structures—from quantum fields to galaxies—may be regarded as transient configurations of an underlying energetic continuum [2,5].

Within the TEP framework, temporal ordering is interpreted as an emergent property of energetic transformation rather than a fundamental background parameter [5,6].

The central governing relation of the framework is given by the  $\Xi$  equation:

$$\Xi = E/(t \cdot S) = hc/(\lambda \cdot S) = \text{constant}$$

“Where  $\Xi$  denotes the invariant timeless energy density of the universal energetic field, E represents total energy, t denotes characteristic temporal duration, S represents characteristic spatial extent, h is Planck’s constant, c is the speed of light, and  $\lambda$  is wavelength [2,5, 11].”

“This relation proposes that energetic balance is preserved under coupled temporal and Spatial scaling transformations, maintaining invariance of the  $\Xi$ -field [2,11].”

This mathematical symmetry motivates the concept of infinite regress, whereby every physical model M generates a higher-order transformation T(M) while preserving the underlying energetic invariant.

“Observation and measurement may therefore be interpreted as localized reductions of informational complexity, analogous to quantum state reduction and decoherence processes [7,10].”

➤ *Scope and Structure*

“Section 2 establishes mathematical foundations for the  $\Xi$ -invariant through three independent derivations.

Section 3 develops the infinite-regress formalism and its energetic interpretation.

Section 4 discusses dimensional consistency, limiting cases, and physical implications, while

Section 5 examines ontological and cosmological consequences.

Section 6 concludes with experimental proposals and directions for future investigation.”

## II. MATHEMATICAL FOUNDATIONS

We establish the conservation of  $\Xi$  through three independent approaches: differential calculus, vibrational symmetry, and finite rescaling.

➤ *Assumptions:*

Assumption A1 (well-defined coarse scales). A physical situation may be characterized by the triple (E, t, S), where E represents the total energy of the coarse-grained system, t denotes characteristic temporal duration, and S denotes characteristic Spatial extent (area or volume).

Assumption A2 (Independent Dilations). At coarse scales, temporal and spatial parameters may dilate independently under scaling transformations. Let the fundamental physical triple be represented as (E, t, S), where:

- E = total energy of the coarse-grained system
- t = characteristic temporal scale
- S = characteristic spatial parameter (area or volume)

Throughout this work, S denotes an effective spatial volume unless otherwise specified.

Under finite dilations:

$$t \rightarrow \tau t, \quad S \rightarrow \sigma S \tag{2.1}$$

While total energy redistributes according to coupled scaling transformations.

Assumption A3 (existence of an intensive invariant). We define an invariant scalar  $\Xi$  that remains conserved under coupled temporal-spatial dilations:

$$\Xi \equiv E/ (t \cdot S). \tag{2.2}$$

At present,  $\Xi$  should be regarded as a proposed scaling invariant motivated by dimensional and energetic consistency rather than a fully established fundamental constant

➤ *Proof I: Differential Invariance*

Starting from equation (2.2), logarithmic differentiation yields:

$$\ln \Xi = \ln E - \ln t - \ln S. \tag{2.3}$$

Because  $\Xi$  is invariant:

Assuming local invariance of  $\Xi$  under smooth scaling transformations, logarithmic differentiation yields

$$dE/E = dt/t + dS/S. \tag{2.4}$$

Integration gives:

$$E = C \cdot t \cdot S \Rightarrow \Xi = E/(t \cdot S) = C = \text{constant}. \tag{2.5}$$

This relation indicates that fractional changes in energy correspond to combined temporal and spatial dilations, preserving the invariant  $\Xi$  under smooth transformations.

➤ *Proof II: Vibrational Symmetry*

Vibrational symmetry refers to scale-preserving logarithmic transformations.

Consider the dilation-symmetric functional:

$$J(E,t,S) = \ln E - \ln t - \ln S. \tag{2.6}$$

Stationary variation under equilibrium constraints yields:

$$E \propto t \cdot S \Rightarrow \Xi = \text{constant}. \tag{2.7}$$

Using a Lagrange multiplier formalism:

$$L = \ln E - \ln t - \ln S - \lambda(E - \kappa tS), \tag{2.8}$$

The Euler–Lagrange conditions produce  $E = \kappa tS$ , demonstrating that  $\Xi$  acts as a conserved quantity associated with joint scaling symmetry.

The TEP framework proposes a pre-geometric energetic state from which observable physical structures emerge dynamically through quantum and cosmological evolution [5,6].

General relativity successfully describes large-scale geometry, whereas quantum field theory governs microscopic interactions; however, both require completion near the Planck regime [3,5,11].

➤ *Proof III: Finite Rescaling Checks*

Applying Finite Dilations:

$$t \rightarrow \alpha t, \quad S \rightarrow \beta S, \quad E \rightarrow \alpha\beta E. \tag{2.9}$$

After rescaling:

$$\Xi' = (\alpha\beta E)/((\alpha t)(\beta S)) = E/(tS) = \Xi. \tag{2.10}$$

Thus,  $\Xi$  remains invariant under joint rescaling transformations.

➤ *Dynamic Evolution*

Taking temporal derivatives of equation (2.4):

$$\dot{E}/E = \dot{t}/t + \dot{S}/S. \tag{2.11}$$

This relation defines a local dynamical law governing energy redistribution during temporal and spatial evolution.

➤ *Linear Stability Analysis*

For perturbations  $t \rightarrow t + \delta t$  and  $S \rightarrow S + \delta S$ :

$$\delta E/E = \delta t/t + \delta S/S \Rightarrow \delta \Xi = 0. \tag{2.12}$$

Therefore,  $\Xi$  remains linearly stable under first-order space-time fluctuations, indicating robustness of the invariant.

Within emergent-space cosmological approaches, cosmic expansion may be interpreted as the dynamical generation of geometric degrees of freedom rather than motion into a pre-existing spatial background [5,11,14].

### III. INFINITE REGRESS FORMALISM

➤ *The Transformation Hierarchy*

Let  $\mathcal{R}$  denote the space of all possible mathematical descriptions of Nature. For every model  $M \in \mathcal{R}$ , there exists a transformation operator  $T: \mathcal{R} \rightarrow \mathcal{R}$  such that:

$$T(M) \neq M. \tag{3.1}$$

At present,  $T$  should be regarded as a generalized recursive transformation operator rather than a uniquely specified mathematical map

The transformation sequence:

$$M, T(M), T^2(M), T^3(M), \dots \tag{3.2}$$

Contains no fixed point and represents an open recursive hierarchy of physical descriptions [8,9].

➤ *Connection to TEP*

The TEP field acts as the energetic substrate for this recursive hierarchy.

Each model corresponds to a coarse-grained configuration characterized by parameters  $(E_M, t_M, S_M)$ , while transformations preserve the invariant  $\Xi$ :

$$E'/(t' \cdot S') = E_M/(t_M \cdot S_M) = \Xi. \tag{3.3}$$

Thus, although models transform recursively, the underlying energetic invariant remains conserved.

➤ *Collapse of Abstraction*

Observation may be interpreted as a coarse-graining process in which informational states are projected into measurable physical configurations, analogous to quantum de-coherence and state reduction [7, 10].

If  $G$  denotes an observation operator and  $|\Psi\rangle_{\text{TEP}}$  represents the timeless energetic state:

$$O|\Psi\rangle_{\text{TEP}} = |M\rangle. \tag{3.4}$$

The total state space may then be represented as:

$$|\Psi\rangle_{\text{TEP}} = \sum c_i |M_i\rangle. \tag{3.5}$$

This expression reflects the open-ended nature of recursive energetic structure within the TEP framework.

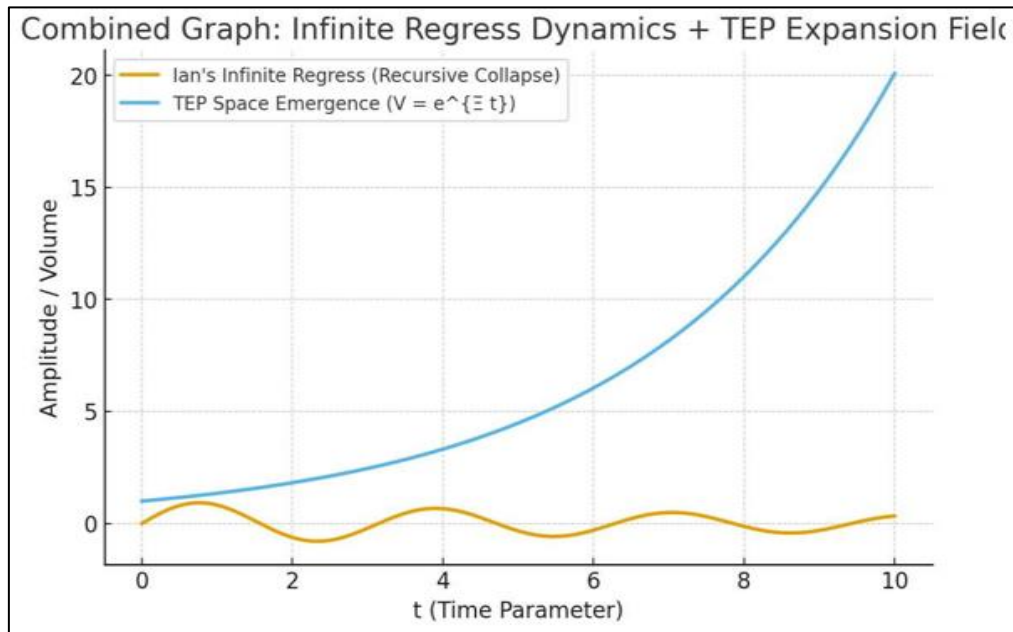


Fig 1 Exponential Energy Decay Profile Within the TEP Scaling Framework.

This relation reflects the open recursive nature of the regress hierarchy.

➤ *Self-Reference Without Paradox*

Classical logical paradoxes, including Russell’s paradox and Gödel incompleteness, arise from self-reference within formally closed systems [8,9]. The TEP-regress framework avoids contradiction by treating the system as fundamentally open within the space  $\mathcal{R}$ . In this interpretation, recursive self-reference acts as a generative structural mechanism rather than a source of inconsistency.

**IV. CONSEQUENCES AND PHYSICAL INTERPRETATIONS**

➤ *Dimensional Consistency*

The dimensions of  $\Xi$  depend on the definition of S:

- If S represents area ( $m^2$ ),  $\Xi$  has dimensions  $J/(s \cdot m^2) = W/m^2$ , energy flux density [11]
- If S represents volume ( $m^3$ ),  $\Xi$  has dimensions  $J/(s \cdot m^3)$ , corresponding to volumetric power density [11]
- Both interpretations are physically meaningful within relativistic and thermodynamic frameworks [11].

In cosmological contexts, taking S as spatial volume yields an intensive energy density, whereas in radioactive transfer, interpreting S as cross-sectional area gives energy flux

➤ *Limiting Cases*

Pure temporal dilation (fixed S):

$$dE/E = dt/t \Rightarrow E \propto t \tag{4.1}$$

This relation describes systems in which energy scales linearly with temporal duration at fixed spatial extent [5,15].

Pure spatial dilation (fixed t):

$$dE/E = dS/S \Rightarrow E \propto S \tag{4.2}$$

This indicates that energy scales proportionally with spatial extent under fixed temporal conditions [5,15].

➤ *Counter-Dilation:*

If  $dt/t = -dS/S$ , then  $dE = 0$ , corresponding to an energy-neutral deformation in which spatial expansion compensates temporal contraction while preserving  $\Xi$ .

• *Radiative Calibration*

For monochromatic radiation, let  $E = hc/\lambda$  and  $t = \lambda/c$ , with S representing a cross-sectional area. Then:

$$\Xi = E/(tS) = hc^2/(\lambda^2 S) \tag{4.3}$$

This relation connects  $\Xi$  with electromagnetic wave properties while preserving the Universality of the invariant  $\Xi = E/(t \cdot S)$  [5,6].

• *Cosmological Implications*

In an expanding universe characterized by scale factor  $a(t)$ , spatial volume scales as  $S \propto a^3$ . Conservation of  $\Xi$  therefore imposes:

$$d/dt (E/(t \cdot a^3)) = 0 \tag{4.4}$$

This relation links energy evolution to cosmic expansion in a manner distinct from standard Friedmann cosmology and may produce measurable deviations in early-universe dynamics.

• *Quantum-Classical Correspondence*

At quantum scales, the uncertainty principle relates energy and time through:

$$\Delta E \cdot \Delta t \gtrsim \hbar. \quad (4.5)$$

Combining this with spatial uncertainty  $\Delta S$  yields:

$$\Xi_{\text{quantum}} \sim \Delta E / (\Delta t \cdot \Delta S). \quad (4.6)$$

This suggests a lower quantum bound on  $\Xi$  that may become relevant in Planck-scale physics and quantum gravity [5,12,13].

## V. DISCUSSION

### ➤ *Ontological Implications*

The TEP-regress framework approaches the question “Why is there something rather than nothing?” by interpreting non-existence as a forbidden fixed-point configuration  $M^*$  satisfying  $T(M^*) = M^*$  [8,9]. Existence is therefore interpreted as a consequence of recursive openness within the infinite hierarchy  $\mathcal{R}$ ,

Within this interpretation, the universe cannot collapse into absolute non-existence because closure is structurally excluded in an infinitely recursive system [8,9].

While total energy redistributes according to coupled scaling transformations. In the TEP framework, causation itself is interpreted as an emergent property arising within particular configurations  $M_i$ , while the overall regress remains temporally and causally neutral [8,11].

### ➤ *Relation to Existing Frameworks*

#### • *Quantum Mechanics:*

Equation (3.4) parallels quantum measurement theory and de-coherence formalism [7,10], although the present framework extends collapse beyond quantum systems into a generalized epistemic reduction from infinite abstraction to finite observation.

#### • *General Relativity:*

Einstein’s equations relate space-time curvature to energy-momentum while assuming both quantities exist a priori [11]. TEP instead proposes a pre-geometric energetic substrate from which temporal and spatial structures emerge dynamically [5,6,11].

#### • *Loop Quantum Gravity and Causal Sets:*

Approaches such as loop quantum gravity and causal set theory seek discrete descriptions of space-time structure [12,13]. TEP is complementary in that it introduces an energetic invariant that constrains admissible geometric configurations [12,13].

#### • *Holographic Principle:*

The area dependence of  $\Xi$  when  $S$  represents area exhibits conceptual correspondence with holographic approaches and AdS/CFT-inspired formulations [14].

### ➤ *Epistemological Considerations*

If every model generates a higher-order model, complete closure may remain unattainable. Within the TEP-

regress interpretation, scientific knowledge is therefore pragmatic: predictions remain reliable insofar as higher-order corrections  $T^n(M)$  remain negligible at accessible scales [8,9]. Scientific progress thus consists not in reaching a final theory, but in exploring progressively refined structural descriptions.

### ➤ *Challenges and Open Questions*

#### • *Problem 1: Explicit form of T:*

The present work does not yet specify an explicit form for the transformation operator  $T$ . Future investigations must determine whether  $T$  is continuous, reversible, unique, or symmetry constrained.

#### • *Problem 2: Predictive Power:*

Although the framework provides conceptual unification, experimentally distinguishable predictions remain limited. Equation (4.4) offers one potential avenue for observational testing.

#### • *Problem 3: Quantum Integration:*

A complete reconciliation with quantum field theory requires development of a timeless quantum formalism extending beyond conventional Schrödinger evolution.[5,12]

#### • *Problem 4: Empirical Accessibility:*

Whether infinite regress possesses direct empirical signatures or remains a meta-theoretical structure remains an open question.

### ➤ *Potential Experimental Tests*

#### • *Test 1: Cosmological Energy-Scale Evolution:*

The TEP framework further predicts small deviations from standard  $\Lambda$ CDM cosmology at high redshift, parameterized phenomenologically through:

$$W(z) = -1 + \epsilon z$$

Where  $w(z)$  denotes the effective dark-energy equation-of-state parameter and  $\epsilon$  is a small dimensionless correction parameter. The framework also predicts potential deviations between gravitational-wave and electromagnetic luminosity distances:

$$d_{L,GW} / d_{L,EM} \approx 1 + \beta z$$

Where  $\beta$  characterizes small deviations from standard cosmological propagation.

These effects may become observable through future precision cosmological surveys and gravitational-wave observations.

Precision measurements of cosmic microwave background anisotropies and baryon acoustic oscillations may test deviations implied by equation (4.4) relative to  $\Lambda$ CDM cosmology [14].

• *Test 2: Quantum-Regime Bounds:*

Ultra-cold atom systems and cavity-QED experiments may probe the lower quantum bound on  $\Xi$  predicted by equation (4.6) [5,12].

• *Test 3: Gravitational Redshift Gradients:*

Satellite-based atomic clock experiments operating at different gravitational potentials could test  $\Xi$ -conservation under varying space-time curvature.

• *Test 4: Information-Theoretic Entropy:*

If recursive structure manifests through entropy growth, systems approaching thermodynamic equilibrium may exhibit  $\Xi$ -dependent signatures within fluctuation spectra [4].

**VI. CONCLUSIONS**

The synthesis of the Timeless Energy Principle with the Infinite Regress Principle provides a unified framework for interpreting the origin, structure, and persistence of the universe [5,11].

The invariant:

$$\Xi = E/(t \cdot S)$$

Governs the transformation of energetic structure into observable space-time configurations while preserving conservation across scales [5,11].

Within this interpretation, existence does not arise from a singular beginning or external cause. Instead, observable reality emerges through recursive energetic self-organization within a timeless substrate [5,11].

The framework therefore attempts to connect cosmology, quantum theory, relativity, and ontological interpretation within a single self-consistent structure [5,6,11].

The ontological interpretation presented here should be regarded as heuristic and exploratory rather than experimentally established

➤ *Key Results of the Framework Include:*

- The Timeless Energy Principle defines an invariant  $\Xi = E/(t \cdot S)$ , conserved under coupled space-time transformations through multiple derivations [5,15].
- Infinite regress is formalized as a recursive transformation hierarchy  $T: \mathcal{R} \rightarrow \mathcal{R}$  without fixed points, providing an ontological basis for continual emergence [8,9].
- Observation is interpreted as a coarse-graining reduction from infinite abstraction into finite measurable configurations while preserving energetic invariance [7,10].
- The framework connects with existing theories, including quantum mechanics, relativity, and holography, while suggesting new directions in cosmology and quantum foundations [11,12,14].

The TEP-regress framework is therefore proposed not as a replacement for existing theories, but as a foundational meta-structure intended to explain the continual emergence and evolution of theoretical descriptions themselves [8,9].

Creation is interpreted not as a singular temporal event, but as a continuous process of Recursive energetic organization governed by the invariant  $\Xi$ -field, [5,11].

The infinite regress principle thereby emerges as a structural interpretation of reality in which Nature continually transcends finite descriptions through open-ended recursive transformation [8,9].

Within the present interpretation, informational structure and recursive transformation become central to the emergence of physical reality.

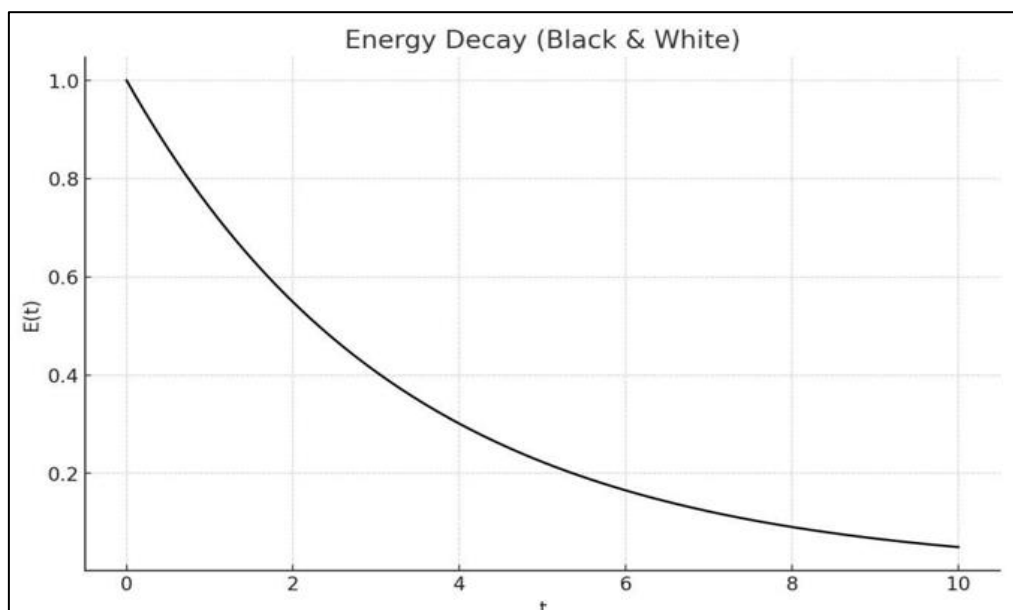


Fig 1 Exponential Energy Decay Profile Within the TEP Scaling Framework.

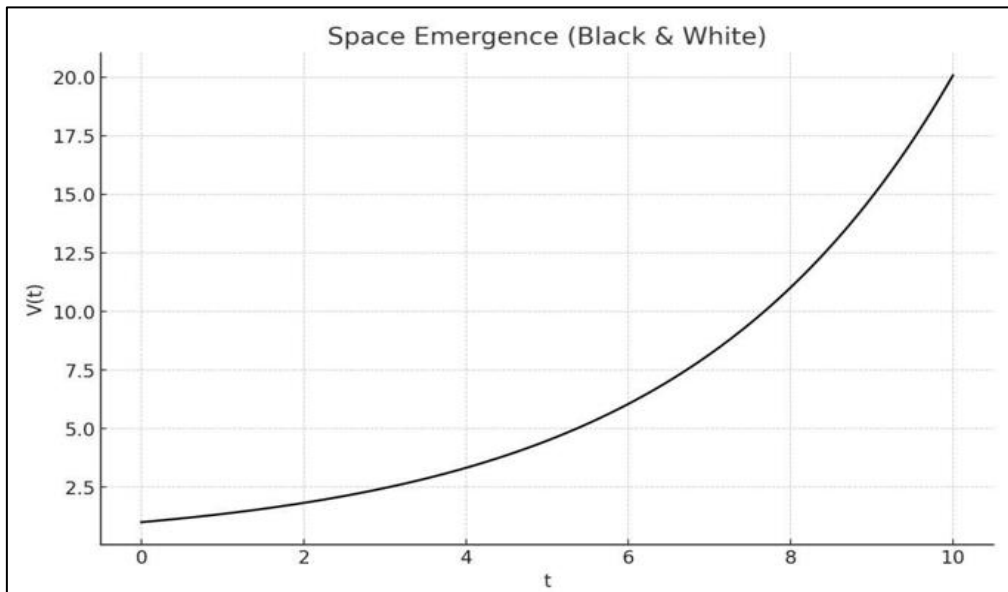


Fig 2 Emergent Spatial Expansion within the TEP Cosmological Model.

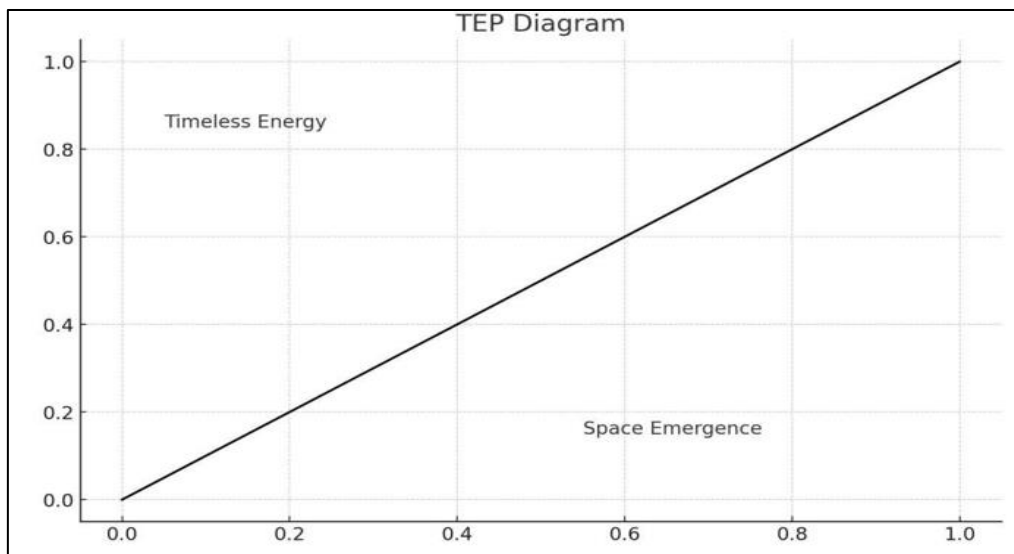


Fig 3 Conceptual Representation of Timeless Energy and Emergent Spatial Structure.

**ACKNOWLEDGEMENTS**

We thank the independent research community for discussions and encouragement. K.K.V. acknowledges support from personal resources. I.B. thanks colleagues at independent physics forums for feedback on early drafts.

➤ *Data Accessibility*

This study does not rely on external datasets; all results are derived analytically within the proposed theoretical framework, consistent with standard theoretical physics methodology [5,6].

➤ *Competing Interests*

The authors declare no competing interests.

➤ *Funding*

This research received no specific grant from any funding agency in the public, commercial, or not-for-profit sectors.

**REFERENCES**

- [1]. A. Einstein, The foundation of the general theory of relativity, *Ann. Phys.* 354, 769–822 (1916). doi:10.1002/andp.19163540702
- [2]. C. W. Misner, K.S. Thorne and J.A. Wheeler, *Gravitation*, W. H. Freeman, San Francisco (1973).
- [3]. S. Weinberg, *The Quantum Theory of Fields, Vol. 1: Foundations*, Cambridge University Press, Cambridge (1995).
- [4]. M. E. Peskin and D.V. Schroeder, *An Introduction to Quantum Field Theory*, Westview Press, Boulder (1995).
- [5]. C. Rovelli, *Quantum Gravity*, Cambridge University Press, Cambridge (2004).
- [6]. L. Smolin, *Time Reborn*, Houghton Mifflin Harcourt, Boston (2013).
- [7]. J. von Neumann, *Mathematische Grundlagen der Quantenmechanik*, Springer, Berlin (1932).

- [8]. B. Russell, *The Principles of Mathematics*, Cambridge University Press, Cambridge (1903).
- [9]. K. Gödel, Über formal unentscheidbare Sätze der Principia Mathematica und verwandter Systeme I, *Monatsh. Math. Phys.* 38, 173–198 (1931). doi:10.1007/BF01700692
- [10]. W. H. Zurek, Decoherence, einselection, and the quantum origins of the classical, *Rev. Mod. Phys.* 75, 715–775 (2003). doi:10.1103/RevModPhys.75.715
- [11]. R. M. Wald, *General Relativity*, University of Chicago Press, Chicago (1984).
- [12]. C. Rovelli and L. Smolin, Discreteness of area and volume in quantum gravity, *Nucl. Phys. B* 442, 593–619 (1995). doi:10.1016/0550-3213(95)00150-Q
- [13]. R. D. Sorkin, Causal sets: discrete gravity, in *Lectures on Quantum Gravity*, eds. A. Gomberoff and D. Marolf, Springer, New York, pp. 305–327 (2003).
- [14]. L. Susskind, The world as a hologram, *J. Math. Phys.* 36, 6377–6396 (1995). doi:10.1063/1.531249
- [15]. S. Dimopoulos, P.W. Graham, J.M. Hogan and M.A. Kasevich, General relativistic effects in atom interferometry, *Phys. Rev. D* 78, 042003 (2008). doi:10.1103/PhysRevD.78.042003