

Mathematics is a Language of Size, Shape, Order Which does not Need Common Prime Factors in Equations with Exponents: Lines have One Dimension in 3 Spaces-19 Examples

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Abstract: Beal conjecture is shown false with 19 counterexamples. Here I show mathematics is a language of size, shape, order which does not need common prime factors in equations with exponents.

Keyword: Prime Numbers, Common, Not Common Prime Factors, Beal Conjecture.

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I. INTRODUCTION

Fifteen new counterexamples that the Beal conjecture is false. There are no common prime factors in ALL fifteen.

II. METHODOLOGY

I reviewed math as a child and studied it. I reviewed math up to the class Calculus III-Multidimensional Calculus at NEIU which was required for the physics MS program at NEIU. I walked by Nobel Prize winner Hans Bethe when I was studying at NEIU to meet Charles Nissim Sabbat for the class.

III. DISCUSSION

➤ Example 1

$$7^4 = 3(20^3) + 1^3$$

$$2401 = 2400 + 1$$

7, 20, and 1 are not common prime factors

➤ Example 2

$$5^3 + 3^3 + 4^3 = 6^3$$

$$125 + (27 + 64) = 216$$

5, 3, 4, 6 are not common prime factors

➤ Example 3

$$7^4 + i^3 = 3(20^3)$$

$$2401 + -1 = 2400$$

7 and 20 do not share common prime factors

➤ Example 4

$$3^3 + 0 = 3^3$$

$$27 = 27$$

➤ *Example 5*

$$2^3 + 0 = 2^3$$

$$8 + 0 = 8$$

➤ *Example 6*

$$3^4 + (3^3 + 2^4 + 1^3) = 5^3$$

$$81 + (27 + 16 + 1) = 125$$

$$81 + 44 = 125$$

➤ *Example 7*

$$9^3 + 2^4 = 149^5$$

$$729 + 16 = 745$$

$$729 + 16 = (149 + 149 + 149 + 149 + 149)$$

$$745 = 745$$

No common prime factors

➤ *Example 8*

$$21^3 = 20^3 + 10^3 + 3^5 + 2^4 + 1^3 + 1^3$$

$$9261 = 8000 + 1000 + 243 + 16 + 1 + 1$$

$$9261 = 9261$$

No common prime factors

➤ *Example 9*

Using wave particle duality one particle can be seen as 2 waves from De Broglie and his friends and current physics

$$1^3 + 2^3 = 3^2$$

$$1 + 8 = 9$$

One particle can be seen as 2 waves

➤ *Example 10*

$$10^2 + 3^5 = 7^3$$

$$100 + 243 = 343$$

No common factors

One particle can be seen as 2 waves

➤ *Example 11*

$$2^7 + 2^7 = 2^8$$

$$128 + 128 = 256$$

Not common prime factor. 2 and 8 not 2 and 7

Factors come in pairs.

➤ *Example 12*

$$2^8 + 2^8 = 2^9$$

$$512 + 512 = 1024$$

Factors not common factors come in pairs. 2,9 not same as 2,8

➤ *Example 13*

$$19^3 + (5^3 + 2^4) = 20^3$$

$$6859 + (125 + 16) = 8000$$

$$6859 + 141 = 8000$$

5, 2, 19, 20 not common prime factors

➤ *Example 14*

$$2^7 + 3^3 = 2^5 * 5$$

$$128 + 27 = 32 * 5$$

$$160 = 160$$

No common prime factors

➤ *Example 15*

$$1^3 + 1^3 = \text{cube root of } 2^3$$

$$1 + 1 = 2$$

As the meaning of the conjecture is unclear

➤ *Example 16*

$$3^3 - 3^3 = 0$$

$$27 - 27 = 0$$

No common prime factor as 0 is a real number

➤ *Example 17*

$$5^3 + 4^3 = 3^3 * 7$$

$$125 + 64 = 189$$

➤ *Example 18.*

Lines have one dimension in 3-dimensional space. (2)

$$1^3 + 1^3 = 1^3$$

Lines always have one dimension in 3 dimensional space. Even if a line is added to another the line is still one dimension in 3 dimensional space.(2)

Beal conjecture is still false.

➤ *Example 19*

$$(8^3 + 1^3) + 6^3 = 9^3$$

$$513 + 216 = 729$$

No common prime factor

IV. CONCLUSION

Nineteen new examples show there are no COMMON PRIME Factors. All the exponents are greater than 2. All I have to show is one counterexample. I have published 8 articles. Beal conjecture is shown Beal is shown false as mathematics is a language of size, shape, order. (2)

REFERENCES

- [1]. Lines are one dimensional. Google.com for “Lines have one dimension” accessed 4/2/2026
- [2]. Mathematics for the Million, Lancelot Hogben, 1940